



TOTAL Simulation of ITER Plasmas

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OUTLINE

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1. Introduction

History of TOTAL code



Toroidal Transport Analysis Linkage

- Start (~1980)
- **Tokamak** (2nd stability) **2D+1D**
K.Yamazaki et al., *Nuclear Fusion* Vol.25 (1985) 1543.
- **Helical Analysis** **3D+1D**
K.Yamazaki et al., *Nuclear Fusion* Vol.32 (1992) 633.
- **Burning Simulation** (**Tokamak** & **Helical**)
K.Yamazaki et al., *Nuclear Fusion* Vol.49 (2009) 055017.

Based on **JT-60U ITB** operation and
LHD e-ITB data.



Main Feature of "TOTAL" is to perform both Tokamak and Helical Analyses

Core Plasma

Equilibrium Tokamak: 2D APOLLO

Helical: 3D VMEC, DESCUR, NEWBOZ

Transport Tokamak: TRANS, GLF23, NCLASS

Helical: HTRANS, GIOTA

Stability NTM, Sawtooth, Ballooning mode

Edge transport H-mode edge model

Impurity IMPDYN (rate equation) including Tungsten
ADPAC (various cross-section)

Fueling NGS (neutral gas shielding) model
mass relocation model (HFS)
NBI HFREYA, FIFPC
Puffing AURORA

Divertor two-point divertor model,
density feedback control



Toroidal Transport Analysis Linkage

World Integrated
Modeling

TOTAL-T,-H(J)

TOPICS(J)

TASK(J)

CRONOS(EU)

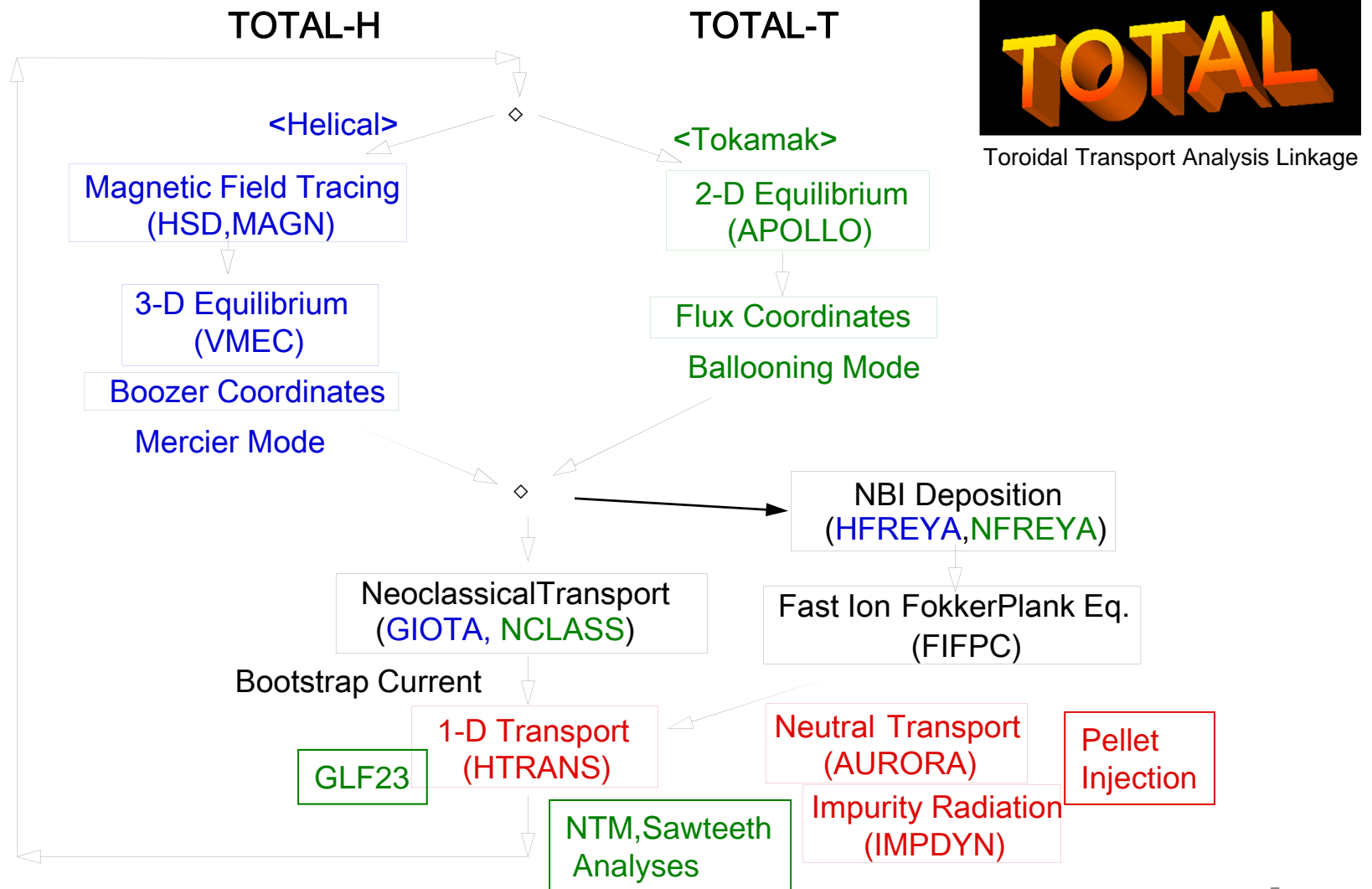
TRANSP(US)

ASTRA(RU)



TOTAL Code Development

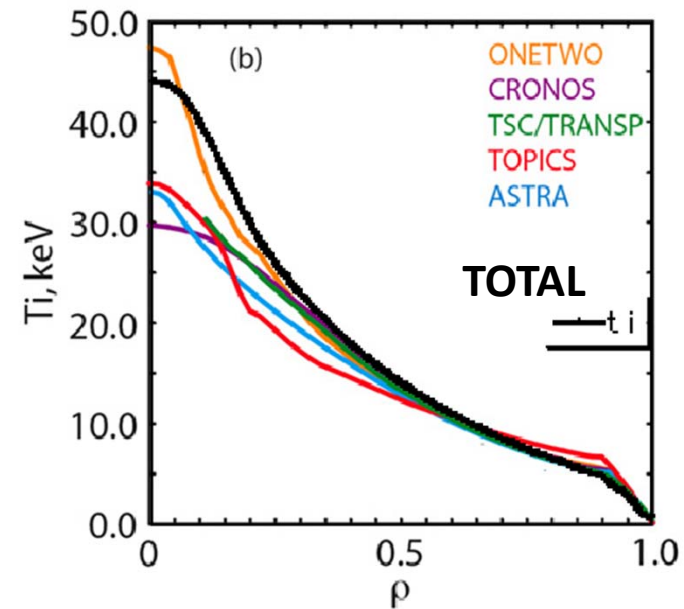
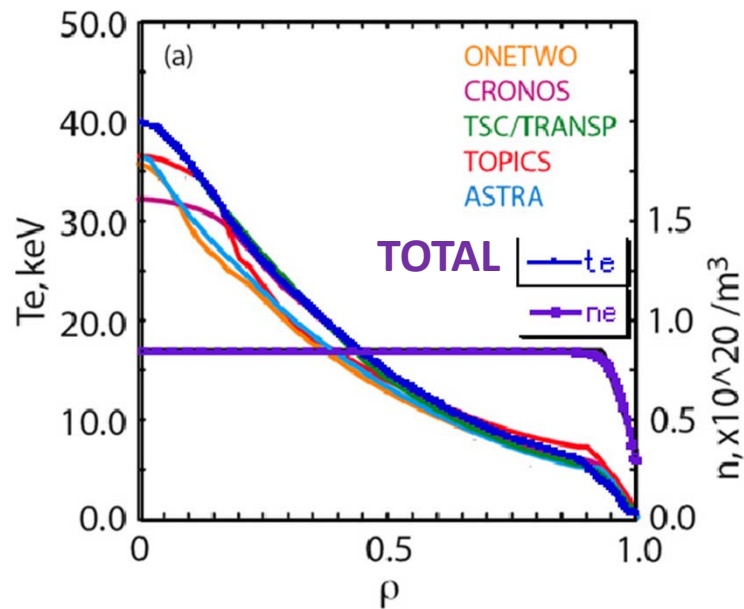
For Predictive Simulation and Experimental Data Analysis





2. TOTAL Transport Benchmark

TOTAL code CDBM model
(GLF23 model)



Ref: C.E. Kessel et al., Nucl. Fusion 47 (2007) 1274–1284



3. Pellet Injection and ITB Formation

Bohm/GyroBohm Mixed Transport Model

TALA, T., et al., Plasma Phys. Control. Fusion 43 (2001) 507-523.

$$\chi_{e,i} = \chi_{neoclassical} + \chi_{anomalous}$$
$$\chi_{anomalous} = \alpha_1 \times \chi_{GyroBohm} + \alpha_2 \times \chi_{Bohm} \times F\left(\frac{\omega_{E \times B}}{\gamma_{ITG}}\right)$$

$$F\left(\frac{\omega_{E \times B}}{\gamma_{ITG}}\right) = \frac{1}{1 + \left(\frac{\omega_{E \times B}}{\gamma_{ITG}}\right)^\gamma}$$

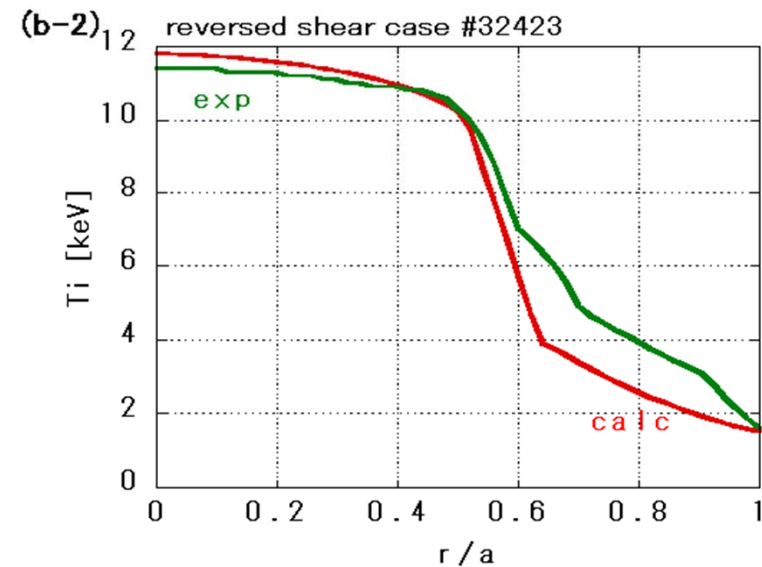
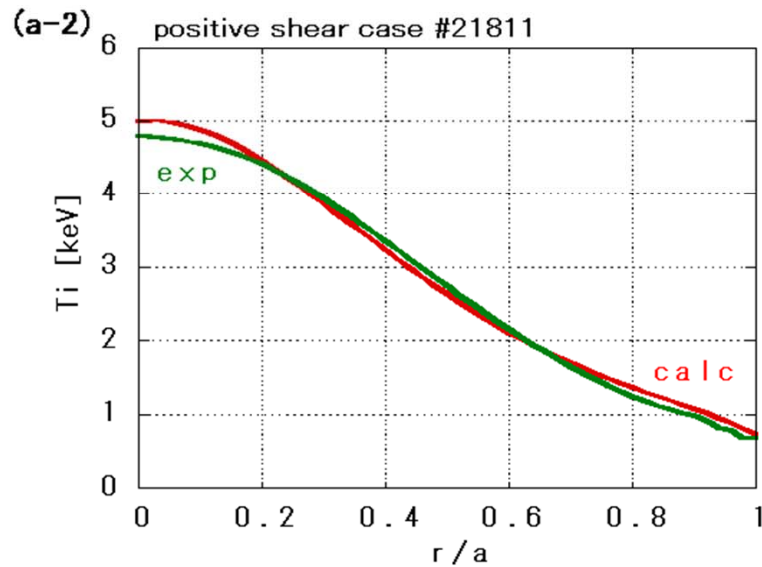
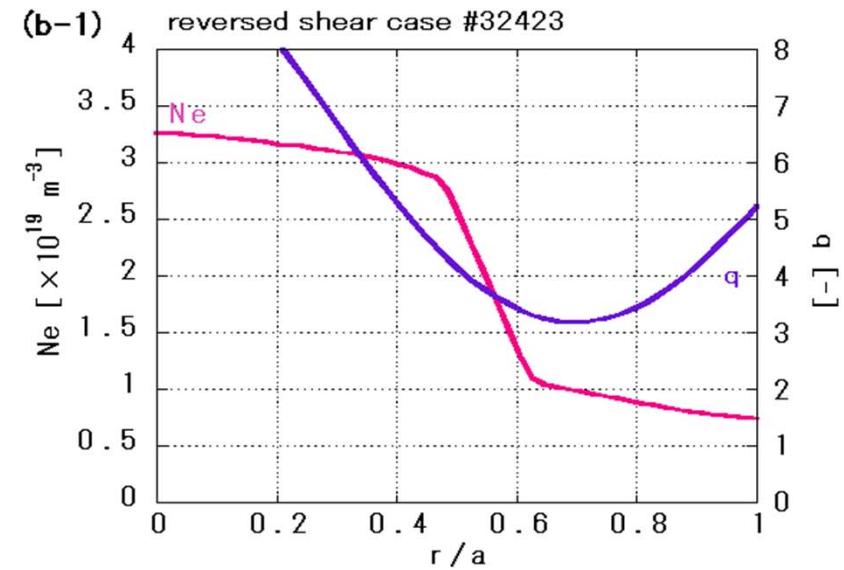
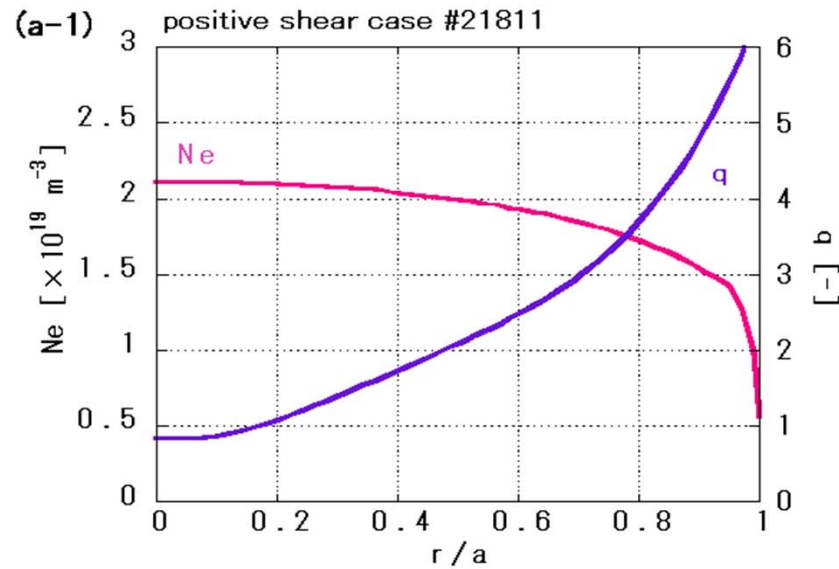
◆ E × B shearing rate : $\omega_{E \times B} \cong \left| \frac{RB_\theta}{B_\phi} \frac{d}{dr} \left(\frac{E_r}{RB_\theta} \right) \right|$

◆ ITG linear growth rate: $\gamma_{ITG} = \frac{(\eta_i - 2/3)^{1/2} |s| c_i}{qR} \quad s \equiv \frac{r}{q} \frac{dq}{dr}$

Coefficients are determined using typical experimental data of JT-60U ITB data and LHD e-ITB operations.

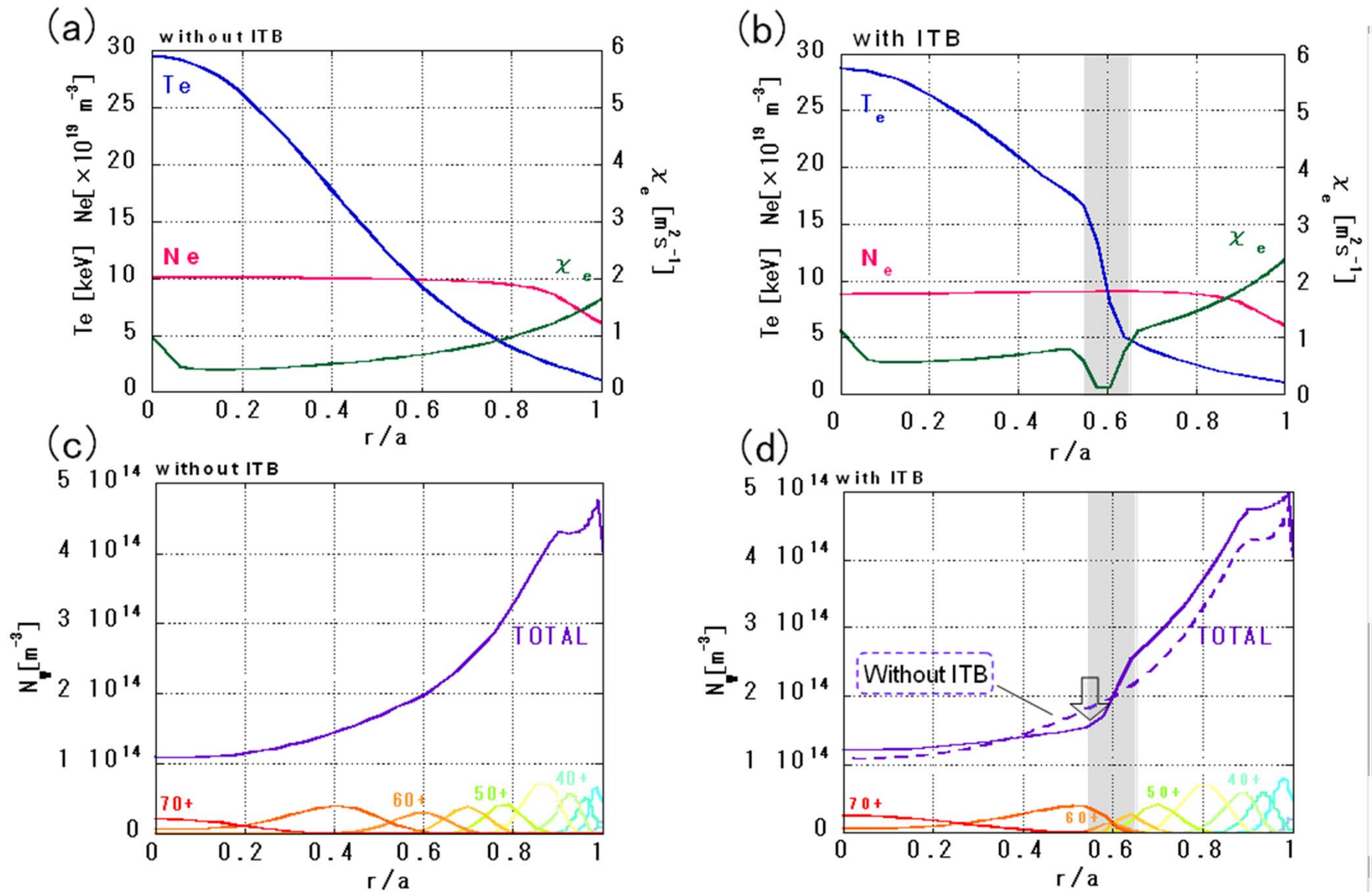


Transport model checked by JT-60U data





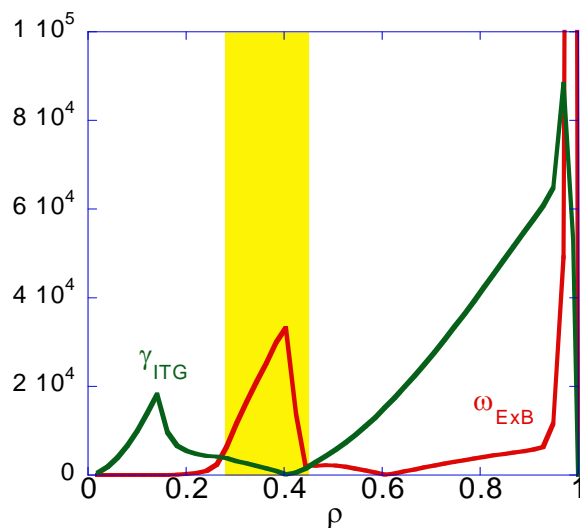
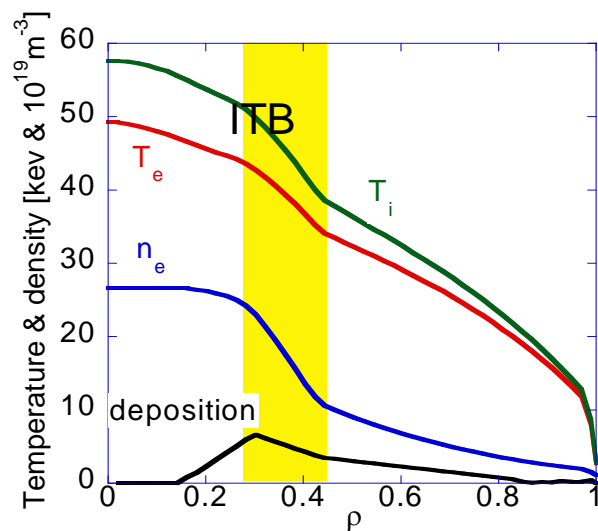
Tungsten Transport without and with ITB



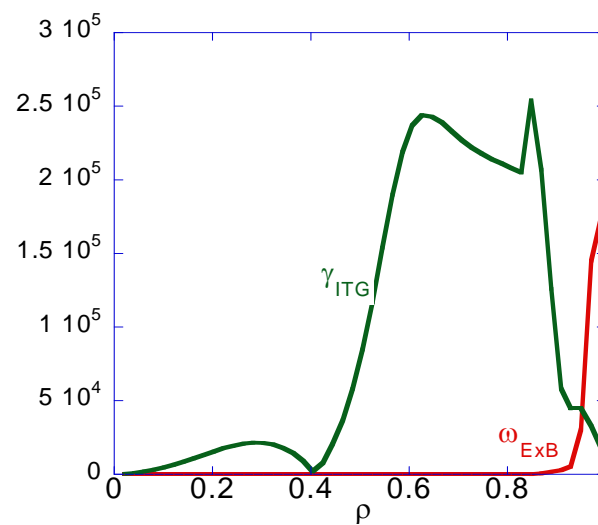
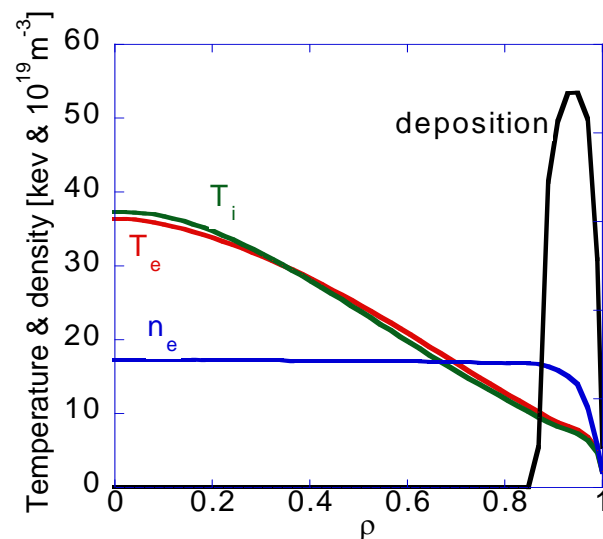


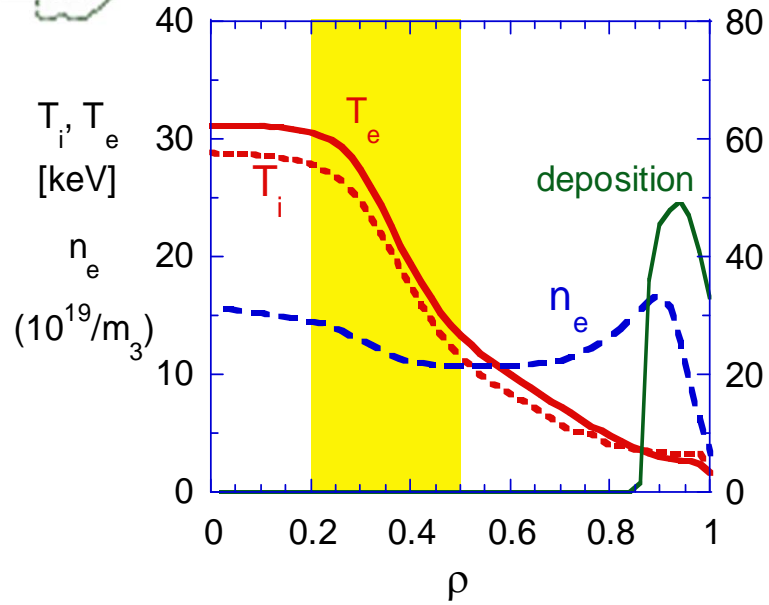
ITB Formation by Pellet Injection

HFS Pellet Injection with ITB



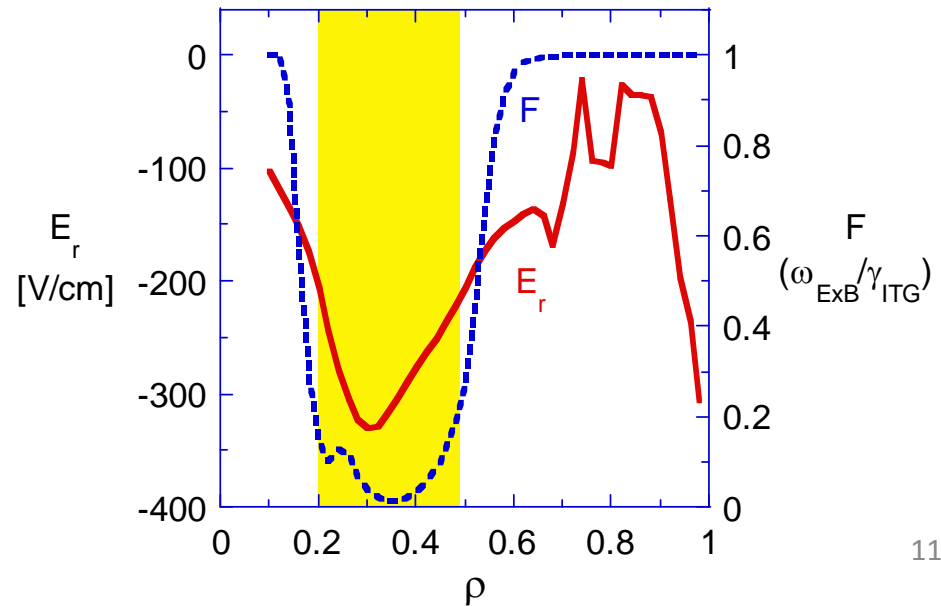
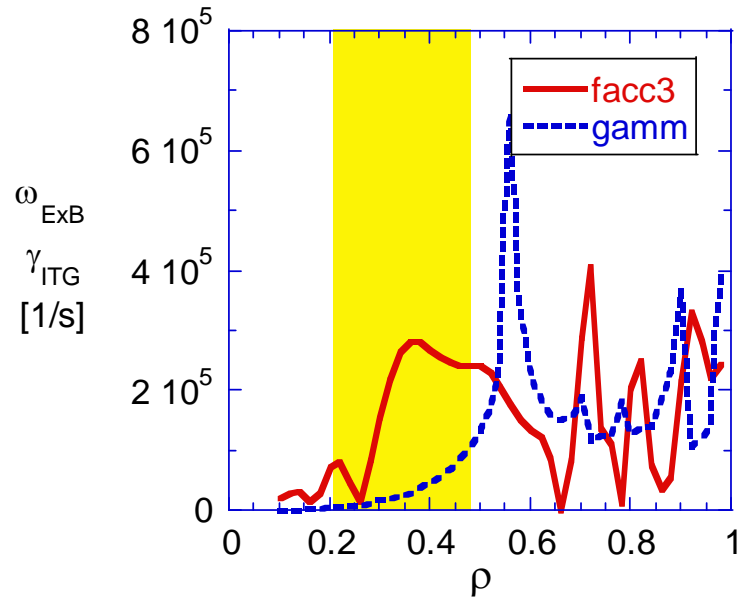
LFS Pellet Injection Without ITB





ITB formation in Helical Reactor HR-1

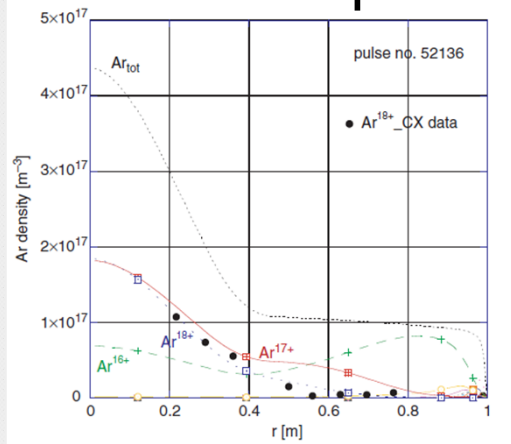
**Ambipolar radial electric field
can form ITB**



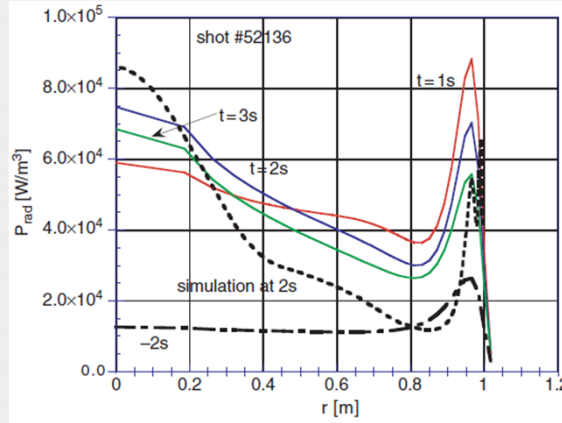


4. Impurity Injection and Edge Control

JET Experiment



#52136



Reference

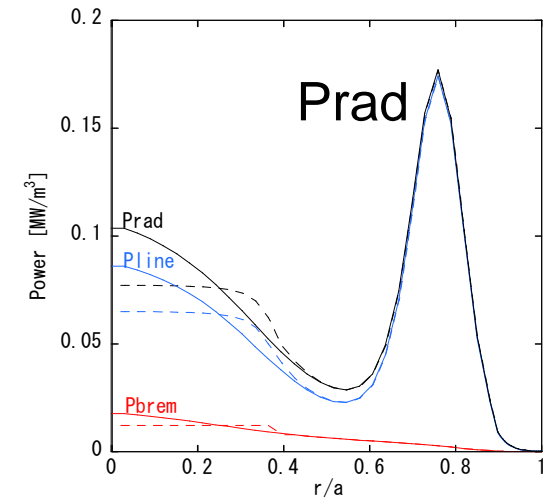
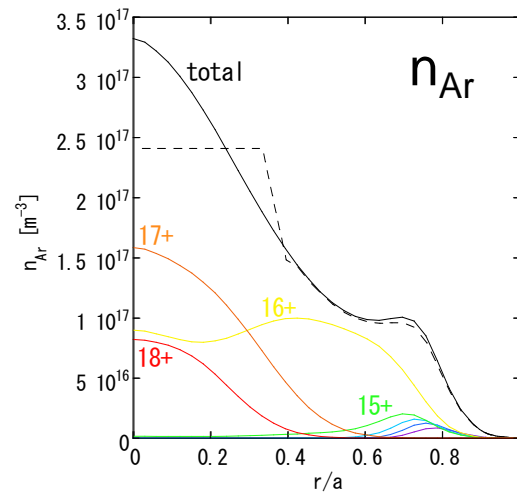
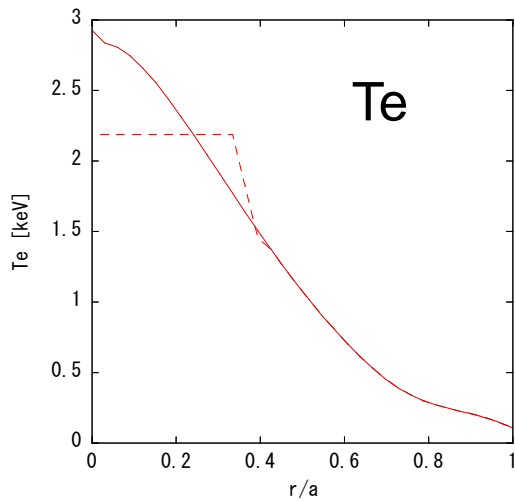
- [1] M.E. Puiatti., et al., Plasma Phys. Control. Fusion 44 (2002) 1863
- [2] M.E. puiatti., et al., Plasma Phys. Control. Fusion 45 (2003) 2011

Low triangularity

NBI 12MW

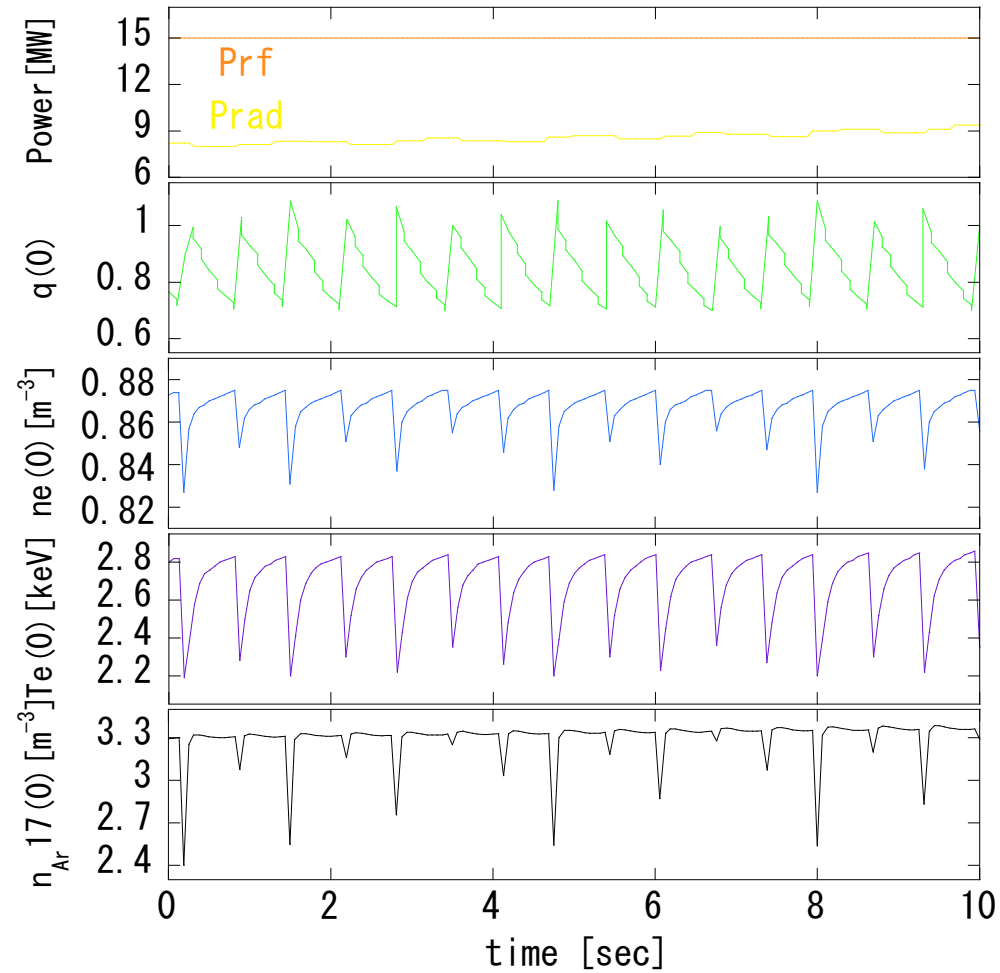
Argon seeded ELMy H-mode discharge

TOTAL code simulation with Sawteeth





Simulation for a JET Sawtooth



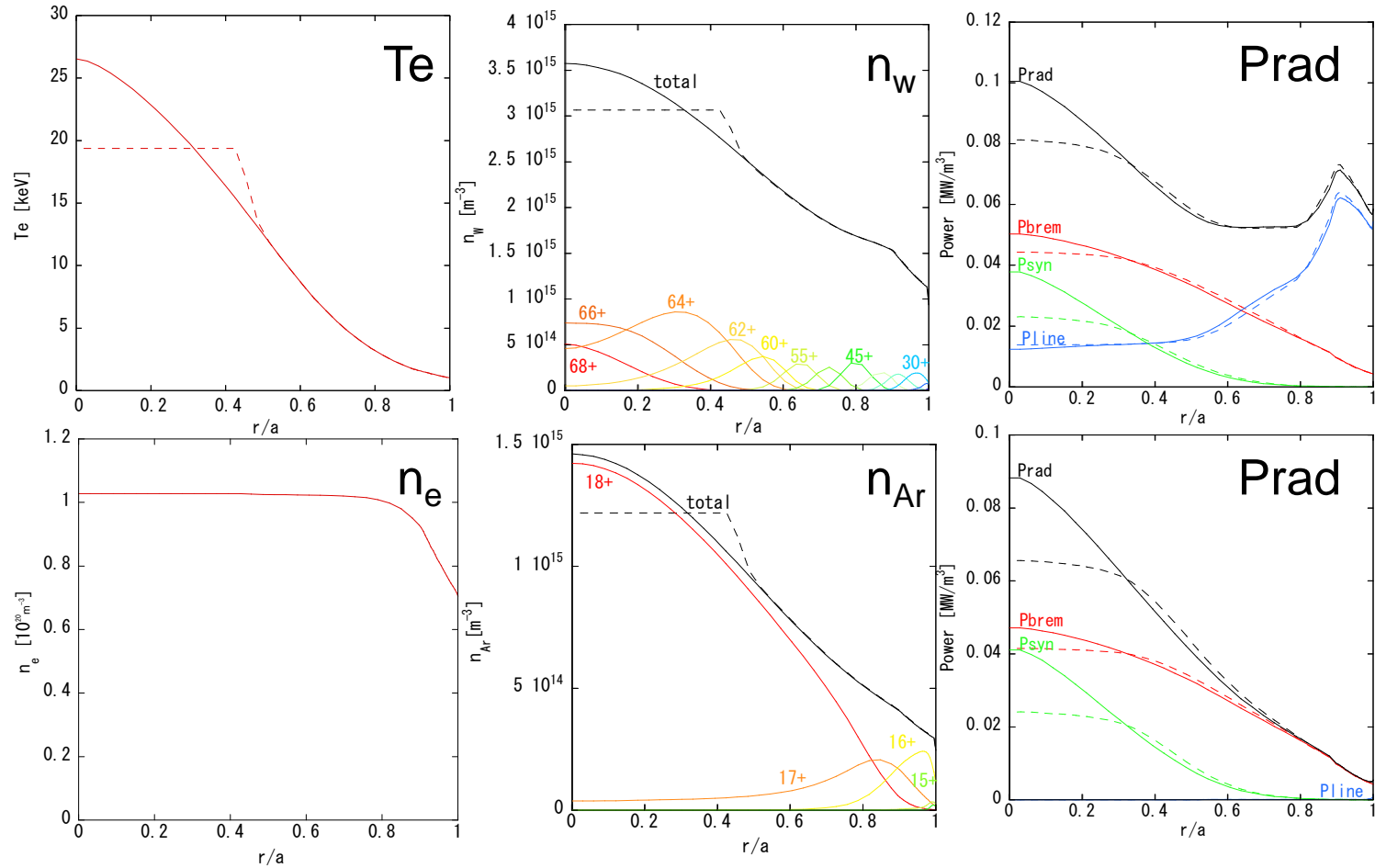
$$\tau_{saw} \sim 0.65[\text{sec}]$$

$$n_{Ar,s} = 7.0 \times 10^{17} / m^3$$



Radial profile before (solid curve) and after (dashed curve) a sawtooth crash.

ITER

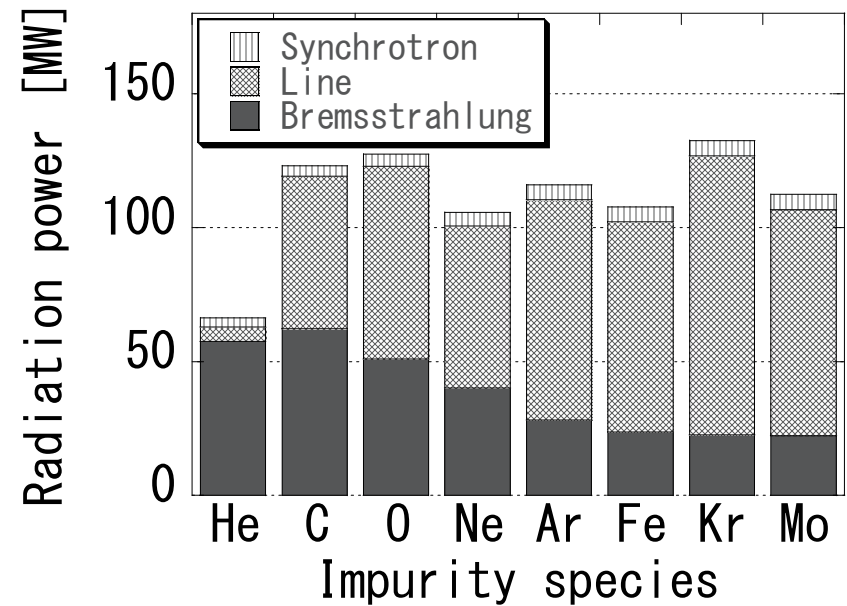
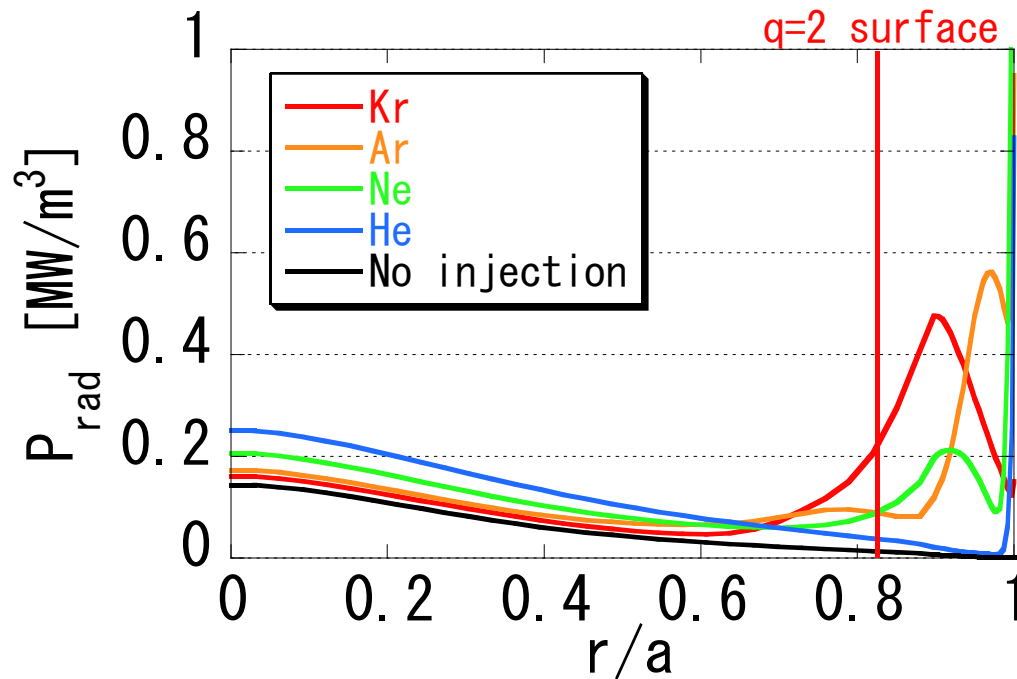


Maximum impurity concentration
at the reference ITER inductive scenario
based on the ELMy H-mode regime

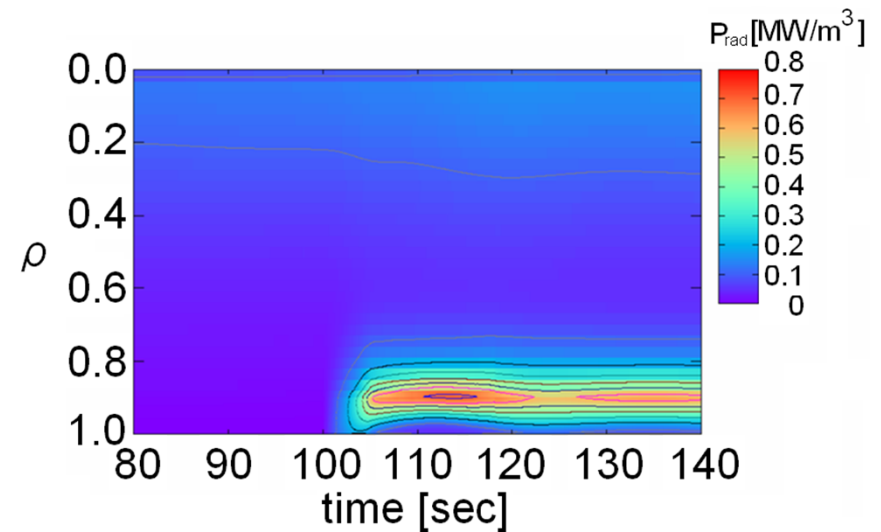
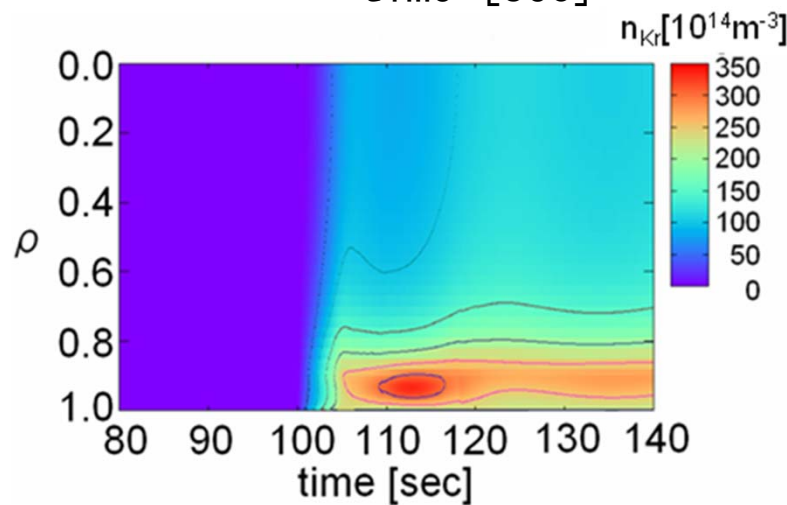
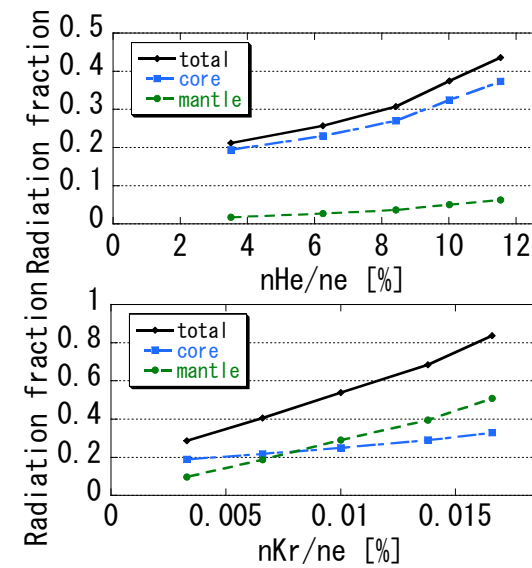
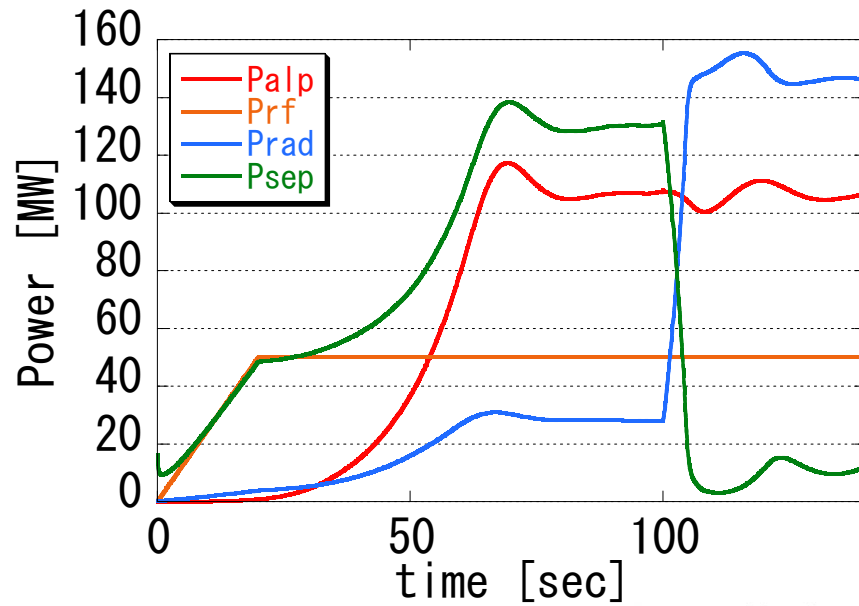
$$P'_\alpha - P_\alpha \leq P_\alpha \cdot 5\%$$

$$\bar{P}_{fus} \geq 10\bar{P}_{RF}$$

$$P_{sep} \geq P_{H \rightarrow L}$$



Radiative Mantle Formation by Kr Injection





5. NTM Evolution and ECCD Stabilization

Model: Modified Rutherford Equation

$$\frac{dW}{dt} = \Gamma_{\Delta'} + \Gamma_{BS} + \Gamma_{GGJ} + \Gamma_{pol} + \Gamma_{EC} + \Gamma_{HF}$$

$$\Gamma_{\Delta'} = k_1 \frac{\eta}{\mu_0} \Delta'(W) \langle |\nabla \rho|^2 \rangle$$

$$\Gamma_{BS} = k_2 \eta L_q j_{BS} \left\langle \frac{|\nabla \rho|}{B_p} \right\rangle \frac{W}{W^2 + W_d^2}$$

$$\Gamma_{GGJ} = -k_3 \frac{\eta}{\mu_0} \varepsilon_s^2 \beta_{ps} \frac{L_q^2}{\rho_s L_p} \left(1 - \frac{1}{q_s^2} \right) \langle |\nabla \rho|^2 \rangle \frac{1}{\sqrt{W^2 + 0.2W_d^2}}$$

$$\Gamma_{pol} = -k_4 \frac{\eta}{\mu_0} g(\varepsilon_s, \nu_i) \beta_{ps} \left(\frac{\rho_{pi} L_q}{L_p} \right)^2 \langle |\nabla \rho|^2 \rangle \frac{1}{W^3}$$

$$\Gamma_{EC} = -k_5 \eta \frac{L_q}{\rho_s} \left\langle \frac{|\nabla \rho|}{B_p} \right\rangle f \eta_{EC} \frac{I_{EC}}{a^2} \frac{1}{W^2}$$

k_1	1.0
k_2	10.0
k_3	1.0
k_4	1.0
k_5	5.0

Resonant HF

$$\Gamma_{HF} = \frac{2m}{r_s} \left(\frac{W_{HF}}{W} \right)^2 \cos \phi$$

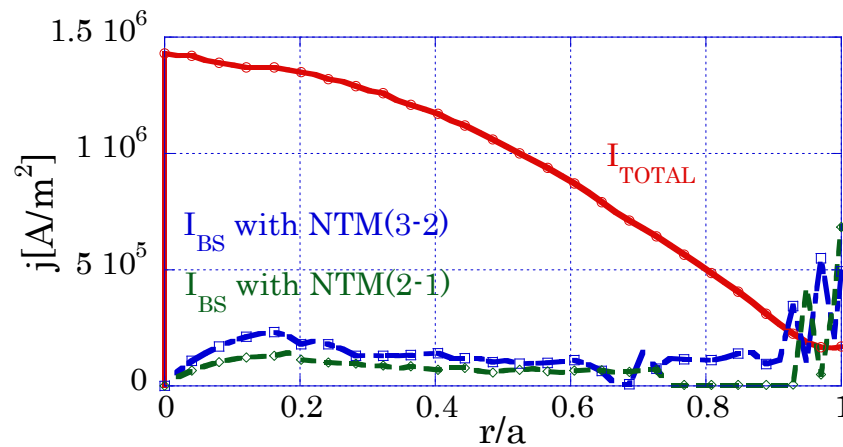
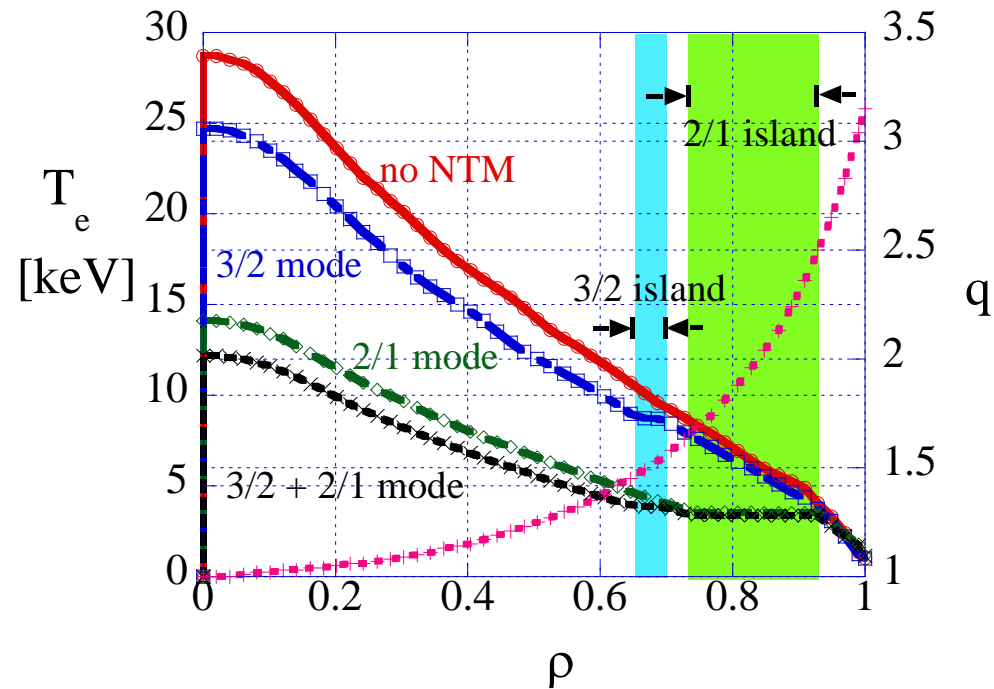
Non-resonant HF

$$W_d \propto \left(\frac{\chi_{\perp}}{\chi_{\parallel}} \right)^4 \rightarrow \left(\frac{\chi_{\perp}}{\chi_{\parallel}} + \frac{b_r^2}{4} \right)^4$$

Q.Yu et al., PRL 85(2000)2949

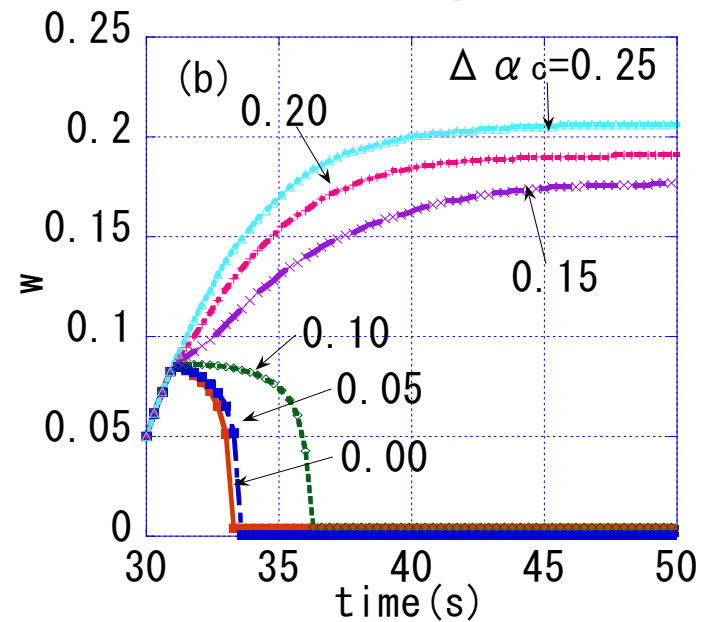
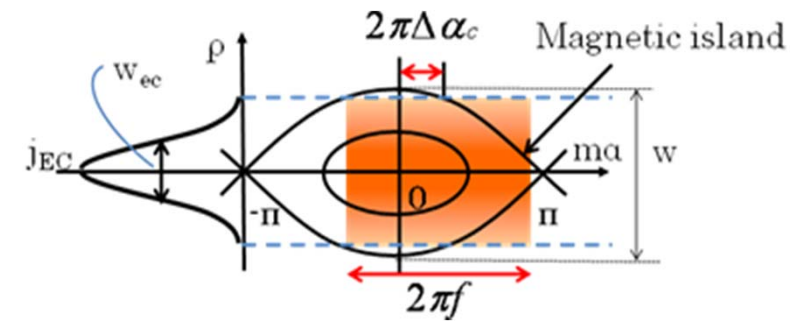
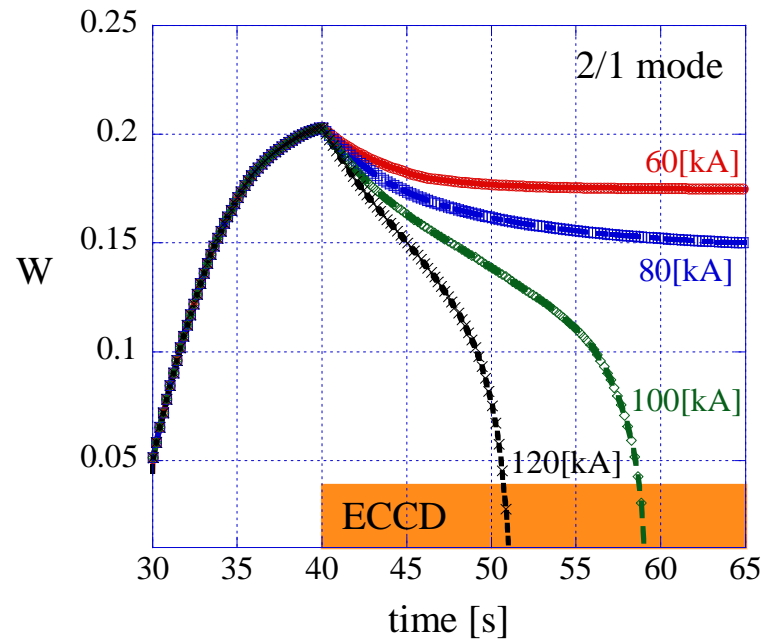
NTM analysis of an ITER Plasma without external helical field

ITER ($I_p=15\text{MA}$)





ECCD Stabilization against NTM In ITER Plasma





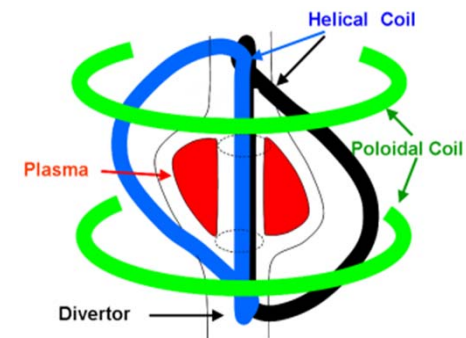
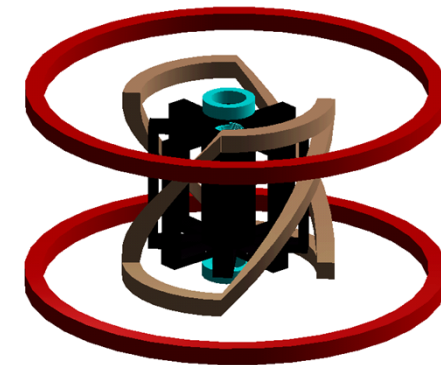
Application of External Helical Field

Old experiments on current carrying stellarator
disruption-free (without BS current)

(1) Error Field Modification ($B_{HF}/B \sim 10^{-4} \sim 10^{-3}$)
resonant field feedback (high frequency)
resonant magnetic breaking (low frequency)

(2) Helical Field-Assisted ($B_{HF}/B \sim 10^{-2} \sim 10^{-1}$)
static non-resonant application
→ mode locked ? → disruption ?

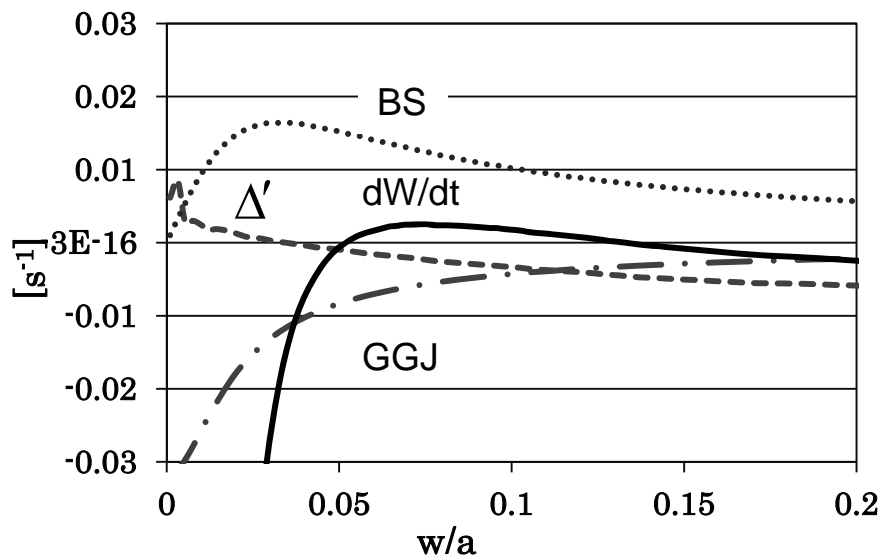
(3) Tokamak-Stellarator Hybrid ($B_{HF}/B \sim 1$)
static non-resonant application
→ disruption-free ?





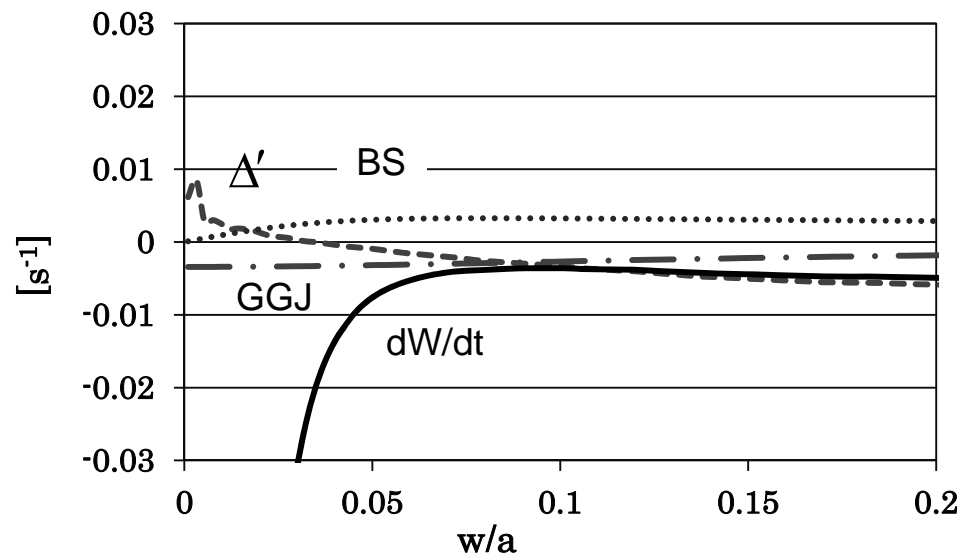
Non-Resonant Helical Field Application

$m/n=3/2$



Without Helical Field

$m/n=3/2$ Stabilized



With Helical Field
 $B_r/B_0 \sim 10^{-3}$



6. Summary (1/2)

- (1) 1.5-D tokamak code and 2.0-D helical code have been developed for predictive simulation and experimental analysis related to Transport and MHD effects.
- (2) ITB can be formed by the deep penetration of HFS pellet injection in tokamaks. The shallow pellet penetration of low-field-side injection did not lead to the ITB formation in the present model.
- (3) Sawtooth oscillation effects on ITER impurity transport has been carried out based on a JET simulation model, and 20% radiation reduction was suggested in ITER.



6. Summary (2/2)

- (4) Low-z impurity, like He, cannot form radiative mantle, and causes large bremsstrahlung radiation loss in the core. About 84% (core:33% / mantle:51%) of input power is radiated inside the LCFS by Kr impurity seeding without inducing any deleterious change.

- (4) NTM excitation and control have been simulated using modified Rutherford equation. The appearance of $m=2/n=1$ NTM leads to the 20 % reduction in the central temperature in ITER-like reactors. The $m/n=3/2$ NTM can be stabilized by non-resonant helical field.